

QUICK REVIEW

Quick Review: Heat, Specific Heat, and Calorimetry

Refresh the most important ideas, formulas, and problem-solving strategies for heat, specific heat, and calorimetry in just a few minutes.

 TIME 5–10 minutes	 BEST FOR A rapid refresh	 FINISH WITH Key ideas refreshed
--	---	--

After this quick review, you'll be able to...

quickly recall the essential concepts, formulas, and problem-solving strategies needed to move forward with confidence.

HOW TO USE THIS GUIDE

Work through the four stages in order. Write directly in the spaces provided, check your work in the Quick Answers section, and finish by choosing the next resource that matches your confidence.

Choose how you want to review: work through this guide, follow the online review, or watch the video review.

[Start the Review Online →](#)

[Watch the Video Review →](#)

YOU WILL NEED

Pencil or pen • Calculator if needed • Approximately 5–10 minutes

FR-02 • COURSE ALIGNMENT

Course Alignment

This Physics Sensei Unit Review is an independent learning resource. Use it to reinforce key concepts, prepare for homework, or review before a quiz or exam.

RESOURCE: Physics Sensei Unit Review
UNIT ID: THM-U03
TOPIC: Heat, Specific Heat, and Calorimetry
COURSE LEVEL: Calculus-Based College Physics

BEST USED

- ✓ After learning the unit
- ✓ Before starting homework
- ✓ Before a quiz or exam

FR-03 • YOUR REVIEW PLAN

Your Review Plan

Complete these four stages to quickly refresh the essential ideas and confirm you're ready to continue.

4 stages • Approximately 5–10 minutes

1 Quick Recall Refresh what you already know.	2 Essential Idea Review the most important concept.
3 Confidence Check Confirm you're ready to move on.	4 Next Step Continue your learning.

PRINTING TIP

For student copies, print double-sided and keep the Quick Answers section after the student activities so learners attempt each activity before checking their work.

FR-04 • STAGE 1 OF 4

Quick Recall

Let's quickly refresh what you already know. This short recall activity will bring the most important ideas back to mind before you review them.

QUICK RECALL

From Differential to Finite

Complete the activity, then check your reasoning in the answers.

Integrate $dQ = mc dT$ for constant m and c .

Ready to refresh the essentials?

Great! Now review the most important idea you'll want to remember.

Review the Essential Idea →

FR-05 • STAGE 2 OF 4

Essential Idea

Take one last look at the most important concept from this topic. If you remember this idea, the rest will come back much more easily.

ESSENTIAL IDEA**Heat, Specific Heat, and Calorimetry**

For an infinitesimal temperature change, $dQ = mc(T)dT$. If c is constant over the interval, integration gives $Q = mc\Delta T$. If c varies with temperature, retain $c(T)$ inside the integral. In an insulated calorimetry system, energy released and absorbed must balance, so the algebraic sum of heat transfers is zero.

$$dQ = mc(T)dT; \text{ for isolated calorimetry, } \Sigma Q = 0$$

EXAMPLE $Q = m \int_{T_i}^{T_f} c(T)dT$; constant c gives $mc(T_f - T_i)$.

SENSEI NOTE The sign is automatic when the integration limits follow each object from T_i to T_f .

Ready to check your memory?

You've refreshed the essential idea. Now see how much you remember before moving on.

Start the Confidence Check →

FR-06 • STAGE 3 OF 4

Confidence Check

You've refreshed the essential idea. Now answer this quick confidence check to confirm you're ready to move on.

CONFIDENCE CHECK

Energy Conservation

Answer before checking the solution.

Write the isolated two-body balance in integral form.

Ready for your next step?

Great work! You've refreshed the essential idea. Now choose the resource that best matches what you'd like to do next.

Choose Your Next Step →

QUICK ANSWERS • CHECK AFTER ATTEMPTING

Quick Answers and Explanations

Use these concise answers to check your recall and confidence—not only your final response.

QUICK RECALL

From Differential to Finite

$$Q = \int mc \, dT = mc(T_f - T_i).$$

WHY IT WORKS The algebraic relation is the constant- c special case of the integral model.

CONFIDENCE CHECK

CONFIDENCE CHECK

Energy Conservation

$$m_1 \int_{T_1}^{T_f} c_1(T) dT + m_2 \int_{T_2}^{T_f} c_2(T) dT = 0.$$

WHY IT WORKS Using each object's own limits automatically captures heating versus cooling signs.

READINESS GUIDE

1 correct: You're ready to continue. • 0 correct: Revisit the Essential Idea or choose more practice.

FR-07 • STAGE 4 OF 4

Next Step: Continue Learning

Great work! You've completed this quick review. Choose the next resource that best matches how confident you feel.

? I'm Still Unsure Review the essential idea again. Review Again →	🎯 I Need More Practice Continue with additional practice for this topic. Go to Practice →	✓ I'm Ready Continue to the next recommended resource. Continue →
---	--	--

RECOMMENDED LINKS

Review this topic again →

Find additional practice →

Choose another type of physics help →

Continue reviewing with these companion resources.

Start the Review Online →

Watch the Video Review →

PHYSICS HELP THAT MAKES SENSE

A Physics Sensei review never ends at the last question. It always guides you toward the next useful step.

PhysicsSensei.com